



**European
Geosciences Union
General Assembly 2015**

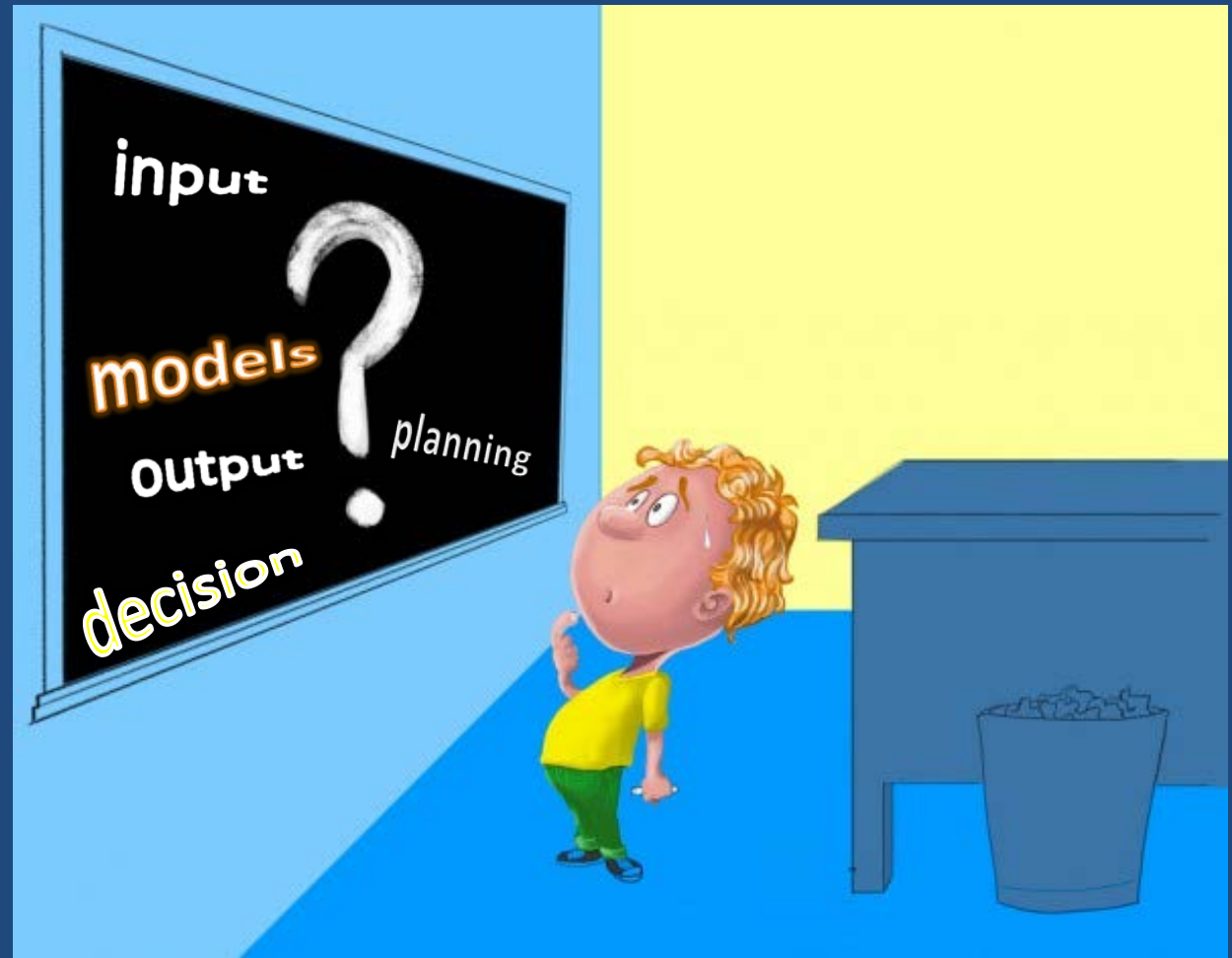
Vienna / Austria/ 12-17 April 2015

Disciplinary Session:
Hydrological Sciences

HS7.6

Using Models for Decision
Support and Long Term
Planning under Climate and
Environmental Uncertainty

Decision under Uncertainty





UNIVERSITY OF PATRAS

Department of Civil Engineering

Evaluation of decision making and negotiation processes under uncertainties regarding the water management of Peiros-Parapeiros Dam in Achaia Region (Greece)

M.V. Podimata & P.C. Yannopoulos

Vienna, 15 April 2015

Decision-making in water management

Why it remains a challenging task?



increasing
complexity/severity
of environmental
problems



growing conflicts in
the exploitation of
water resources



solutions may
be good/bad
but never true/false

An interdisciplinary research approach is required

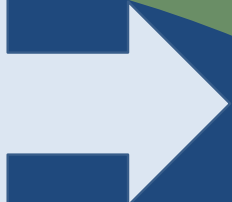
in order to find a joint, fair and wise agreement among water users



Key Concepts



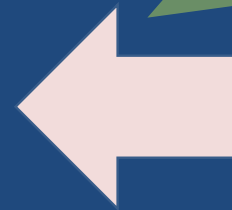
Decision Support Systems (DSS)



Interactive computerized systems providing assistance in understanding semi-structured or unstructured problems and increasing the effectiveness of decision-making

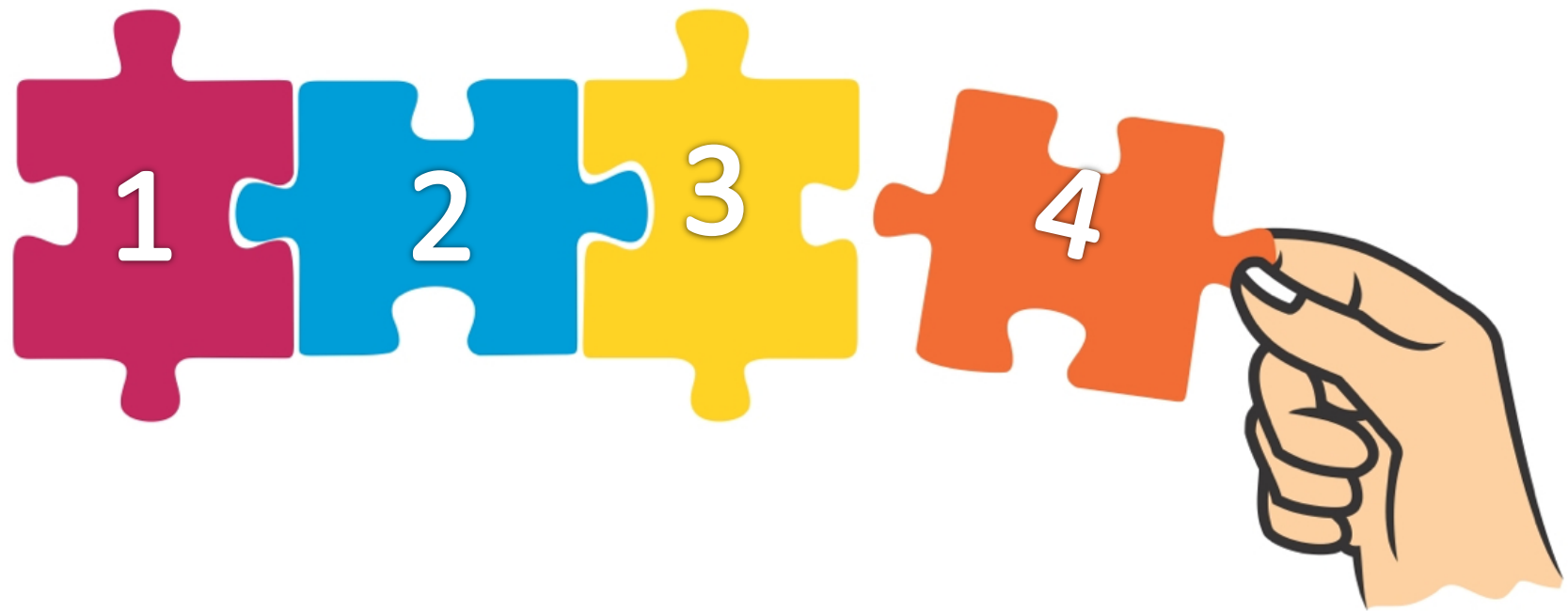
A set of techniques to model and analyze strategic conflicts among agents, to predict interaction patterns and to identify potential states for **conflict resolution**

Interaction Game Theory



Conflict Analysis (CA)

Contribution of DSS and CA



1. Answering What-if Questions
2. Assessing Potential Outcomes
3. Aiding Negotiations
4. Evaluating and Limiting Risk

Provide the
decision-makers
with an insightful
strategic advice

Graph Model for Conflict Resolution



A flexible and comprehensive Decision Support System based on conflict analysis techniques for deeper understanding of **strategic aspects of conflict games** and envisioning possible pathways for **optimal decision making**

Original formulation: Kilgour et al. (1987)
Full representation: Fang et al. (1993)



Wide range of applications including water resources management

Basic components



Set of Decision-Makers
 $\mathbf{N} = \{1, 2, \dots, n\}$

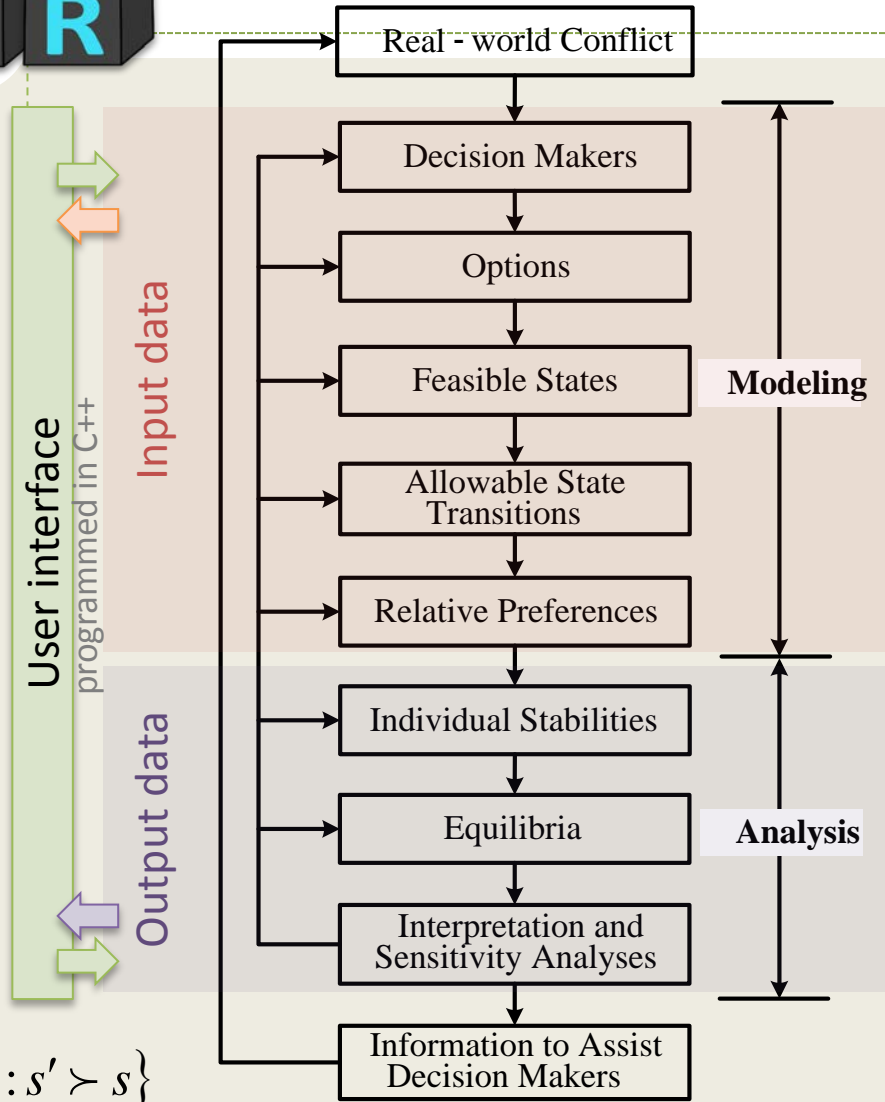
Set of States
 $\mathbf{S} = \{s_0, s_1, \dots, s_m\}$

Set of directed graphs depicting available moves among states
 $\{D_i = (S, A_i), i \in \mathbf{N}\}$

• Reachable list $R_i(s) = \{s' \in S : (s', s) \in A_i\}$

• Unilateral improvement list $R_i^+(s) = \{s' \in R_i(s) : s' \succ s\}$

Basic Structure



Dialog Box



GMCR_II - [TEST]

File Edit View Conflict Modelling Analysis Interpretation Window Help

System Guide | Decision Makers and Options | Feasible States | Allowable Transitions | State Ranking | Individual Stability | Equilibria | Status Quo Analysis

Current Conflict Model

- DM A : DECISION MAKER A
 - 1. OP1 : OPTION 1
 - 2. OP2 : OPTION 2
- DM B : DECISION MAKER B
 - 3. RS1 : RESPOND 1
 - 4. RS2 : RESPOND 2
- DM C : DECISION MAKER C
 - 5. RP1 : REPLY

Mutually Exclusive Options

Enter a list of options of which at most one may be selected.

DMs	Options		Add
DM A	1. OP1	<input type="checkbox"/>	▶▶
	2. OP2	<input type="checkbox"/>	▶▶
DM B	3. RS1	<input type="checkbox"/>	▶▶
	4. RS2	<input type="checkbox"/>	▶▶
DM C	5. RP1	<input type="checkbox"/>	▶▶

OK

"At Least One" Option

Enter a list of options of which at least one must be selected.

DMs
DM A
DM B
DM C

Direct Specification of Infeasibility

Enter a list of logical option combinations describing infeasibilities.

Current Conflict Model

- DM A
 - 1. OP1
 - 2. OP2
- DM B
 - 3. RS1
 - 4. RS2
- DM C
 - 5. RP1

AND
OR
NOT
(
)

Add to List

1 & 3

OK Cancel

Irreversibility Specification - Single Option

Specify option irreversibility using arrow directions.

DMs	Options			
DM A	1. OP1	N	ONE WAY	Y
	2. OP2	N		Y
DM B	3. RS1	N		Y
	4. RS2	N	ONE WAY	Y
DM C	5. RP1	N		Y

OK Cancel

Option Prioritizing for "DM A"

Enter lexicographic statements in order of priority.

(None)

Add to List

3
4 IF 2
5 IFF 1

OK Cancel

DMs	Options
DM A	1. OP1
	2. OP2
DM B	3. RS1
	4. RS2
DM C	5. RP1

Dialog Box



GMCR_II - [TEST]

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System Guide | Decision Makers and Options | Feasible States | Allowable Transitions | State Ranking | Individual Stability | Equilibria | Status Quo Analysis

There are in total feasible states.

DMs	Options	1	2	3	4	5	6
DM A	1. OP1	Y	N	N	Y	N	N
	2. OP2	N	Y	Y	N	Y	Y
DM B	3. RS1	Y	Y	N	Y	Y	N
	4. RS2	N	N	Y	N	N	Y
DM C	5. RP1	N	N	N	Y	Y	Y

Ready CAP

A state is stable for a DM if it is not advantageous for the DM to unilaterally move away from it

A solution concept is a mathematical description of how a DM may behave in a dispute

GMCR_II - [TEST]

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System Guide | Decision Makers and Options | Feasible States | Allowable Transitions | State Ranking | Individual Stability | Equilibria | Status Quo Analysis

Sort according to the preferences of the focal DM: DM A Coalition Stability

DMs	Options	3	4
DM A	1. OP1	N	Y
	2. OP2	Y	N
DM B	3. RS1	N	Y
	4. RS2	Y	N
DM C	5. RP1	N	Y

R	<input checked="" type="checkbox"/>	<input checked="" type="checkbox"/>
GMR	<input checked="" type="checkbox"/>	<input checked="" type="checkbox"/>
SMR	<input checked="" type="checkbox"/>	<input checked="" type="checkbox"/>
SEQ	<input checked="" type="checkbox"/>	<input checked="" type="checkbox"/>
NM	<input checked="" type="checkbox"/>	<input checked="" type="checkbox"/>
L[2]	<input checked="" type="checkbox"/>	<input checked="" type="checkbox"/>
Add Custom Type		

Ready CAP

Solution Concepts

Solution Concepts	Stability Descriptions	Characteristics			
		Foresight	Disimprovement	Knowledge of Preferences	Strategic Risk
Nash Stability	DM cannot unilaterally move to a more preferred state.	Low	Never	Own	Ignores risk
General Metrationality	All of the focal DM's unilateral improvements are sanctioned by subsequent unilateral moves by others.	Medium	By Opponent	Own	Avoids risk; conservative
Symmetric Metrationality	All focal DM's unilateral improvements are still sanctioned even after possible responses by the focal DM.	Medium	By Opponent	Own	Avoids risks; conservative
Sequential Stability	All of the focal DM's unilateral improvements are sanctioned by subsequent unilateral improvements by others.	Medium	Never	All	Takes some risks; strategizes.
Limited-move Stability (l_j)	All DMs are assumed to act optimally and a maximum number of state transitions (l_j) is specified.	Variable	Strategic	All	Accepts risk; strategizes
Non-myopic Stability	Limiting case of limited move stability as the maximum number of state transitions increases to infinity.	High	Strategic	All	Accepts risk; strategizes

Determines how DMs respond with respect to a given solution concept



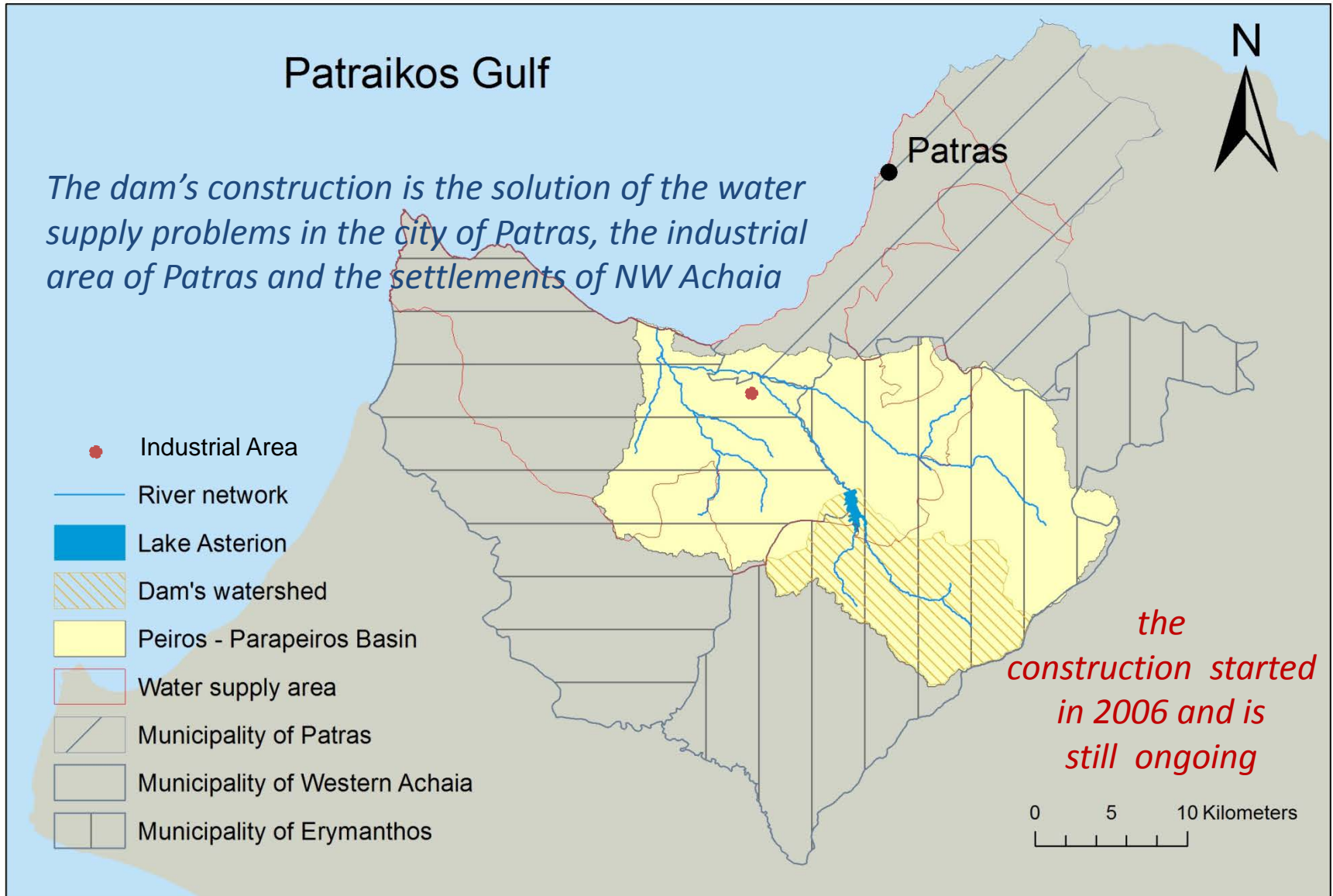
Case study

Location: **Peiros-Parapeiros Basin**
Peloponnisos Peninsula,
Greece



Catchment area	500 km ²
River length	33 km
Mean catchment elevation	463 m
Mean annual precipitation	986 mm
Flow	All the year
Average Discharge (outlet of the basin)	265 hm ³ /y
Maximum flow	0.5 hm ³ /d

Study Area



Peiros – Parapeiros Dam



High storage dam on Parapeiros River

Location	Asterion
Height	75 m
Crest length (width)	790 m (14m)
Area of artificial lake	210 ha
Capacity storage	40.000.000 m ³

Pipeline networks

Diversion pipeline from Valmadoura to Asterion	10.5 km
Bulk water transmission to Patras	31.6 km
Water supply network to I.A.P + MWA+ME+MP (periurban area)	60 km

Low diversion dam on Peiros River

Location	Valmadoura
Height	8 m
Crest length	30 m

Water treatment plant

Capacity	400 L/s
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Total construction budget

Budget	140,000,000 €
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Planned annual abstraction

Year 2020	22,000,000 m ³
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Conflicts regarding Peiros – Parapeiros Dam



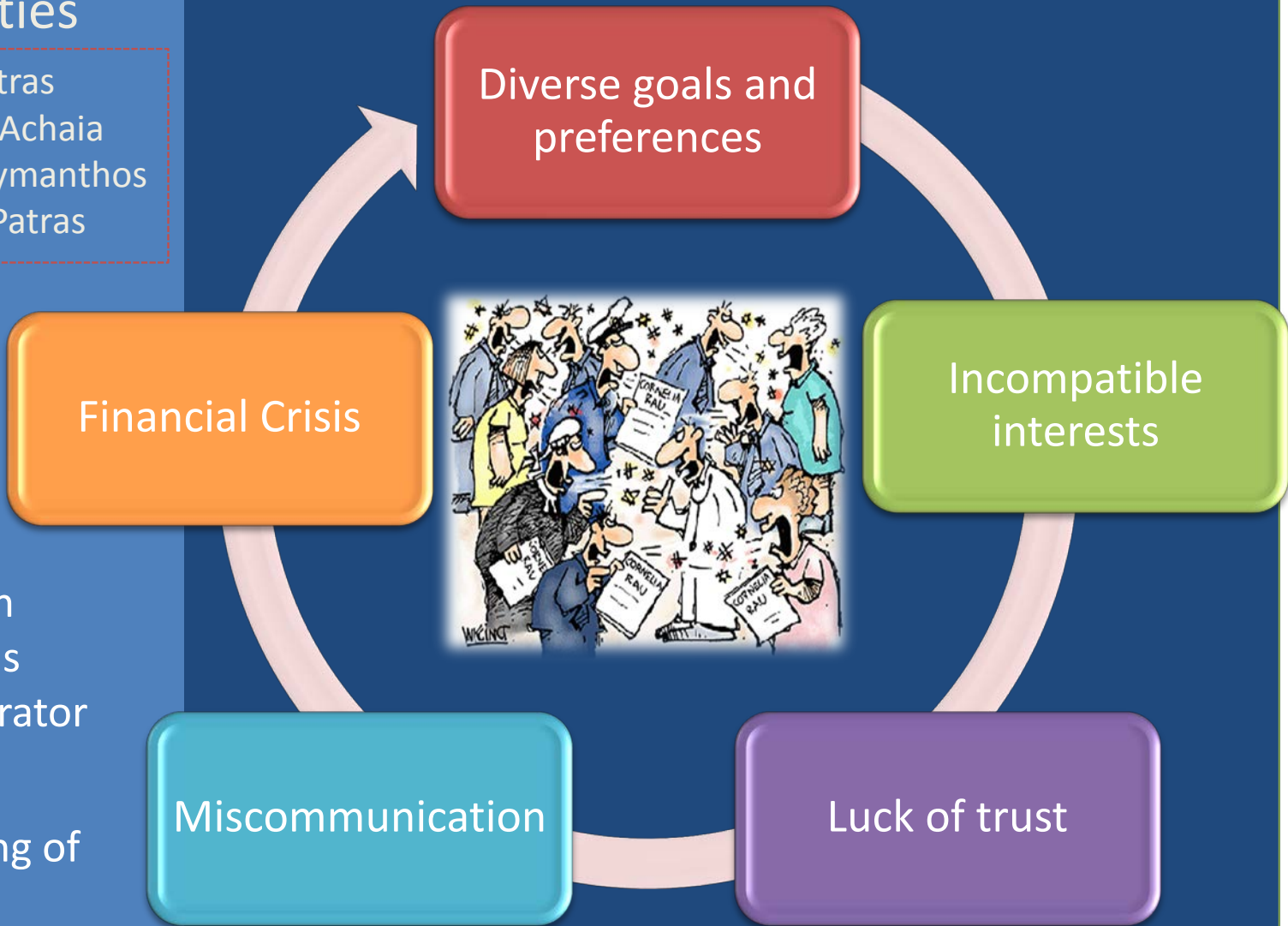
Involved Parties

Municipality of Patras
Municipality of W.Achaia
Municipality of Erymanthos
Industrial area of Patras

Conflicts and contradictions regarding:

➤ the jurisdiction and legal status of the dam operator

➤ the undertaking of cost operation



Application of GMCR II



Decision Makers



1. Patras Municipality (PM)
2. W.Achaia Municipality (WAM)
3. Erymanthos Municipality (EM)
4. Industrial area of Patras (IAP)

Options

- SC1: Only 3 Municipalities
- SC2: 3 Municipalities + IAP
- SC3: Only PM
- SC4: State
- SC5: Public limited



Preferences



PM

- SC4 > SC1 > SC3 > SC2 > SC5

WAM

- SC1 > SC2 > SC5 > SC4 > SC3

EM

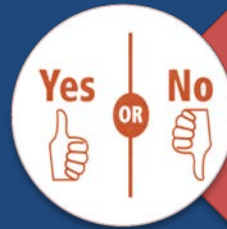
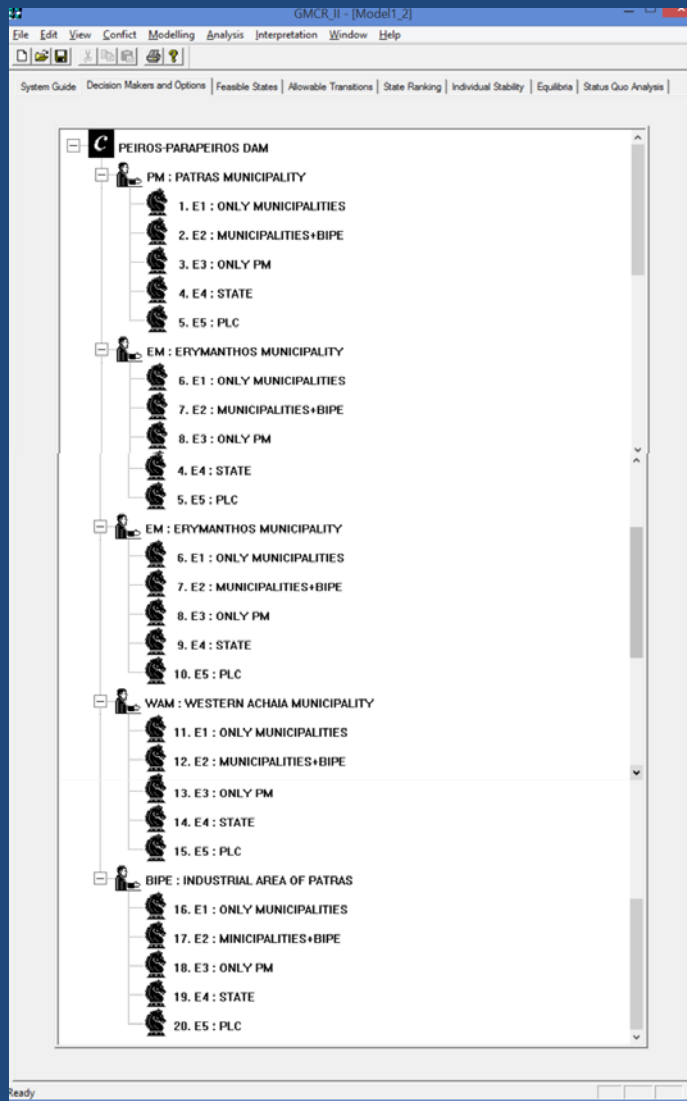
- SC1 > SC2 > SC4 > SC5 > SC3

IAP

- SC2 > SC5 > SC4 > SC3 > SC1

GMCR

Conflict model



Each option can be selected (Y) or not taken (N)



There are $2^{20} = 1,048,576$ possible states



In practice, states that cannot occur (infeasible) should be omitted



After removing the infeasible ones, 26 feasible states remain

Conflict stability analysis

GMCR II - [Model1_2]

File Edit View Conflict Modelling Analysis Interpretation Window Help

System Guide | Decision Makers and Options | Feasible States | Allowable Transitions | State Ranking | Individual Stability | Equilibria | Status Quo Analysis

Sort according to the preferences of the focal DM: BIPE Coalition Stability Extract Commonalities

DMs	Options		2	8	20	24	25	26
PM	1. E1	—	Y	N	N	N	N	N
	2. E2	—	N	N	N	N	N	N
	3. E3	—	N	N	Y	Y	N	N
	4. E4	—	N	Y	N	N	Y	N
	5. E5	—	N	N	N	N	N	Y
EM	6. E1	—	Y	N	N	N	N	N
	7. E2	—	N	Y	N	N	N	N
	8. E3	—	N	N	N	Y	N	N
	9. E4	—	N	N	N	N	Y	N
	10. E5	—	N	N	Y	N	N	Y
WAM	11. E1	—	Y	N	N	N	N	N
	12. E2	—	N	Y	N	N	N	N
	13. E3	—	N	N	Y	N	N	N
	14. E4	—	N	N	N	N	N	N
	15. E5	—	N	N	N	Y	Y	Y
BIPE	16. E1	—	N	N	N	N	N	N
	17. E2	—	Y	Y	N	N	N	N
	18. E3	—	N	N	N	N	N	N
	19. E4	—	N	N	N	N	N	N
	20. E5	—	N	N	Y	Y	Y	Y
	R		✓	✓	✓	✓	✓	✓
	GMR		✓	✓	✓	✓	✓	✓
	SMR		✓	✓	✓	✓	✓	✓
	SEQ		✓	✓	✓	✓	✓	✓
	NM		✓	✓	✓	✓	✓	✓
	L[2]		✓	✓	✓	✓	✓	✓
	Add Custom Type				2	2	8	

Ready

A **state** is **stable** (and constitutes an equilibrium) if a decision maker has **no incentive to move unilaterally** to another state.

Based on the ranking of states, GMCR II analyzes the stability of each state.

States 2, 8, 20, 24, 25 & 26 constitute **strong equilibria** i.e. satisfy all stability concepts.

State 26 constitutes **coalition states** for **SC5**.

Coalition analysis algorithm shows states which would be upset by any subset of two or more DMs.

GMCR II disadvantages

The simplicity of the model itself

Questions involving allocation in a continuum are awkward in a graph model.

Incorporating partial information

There are difficulties in incorporating clues into a graph model. Strong reliance to user's judgment.

Main objective

The main objective is stability identification, rather than the evolution of negotiations (reaching agreement).

Consideration of negotiators' power

GMCR II does not take into account the power of parties (which is often used, in practice, during negotiations).

Evolutionary Model for Multilateral Negotiations (EMMN)

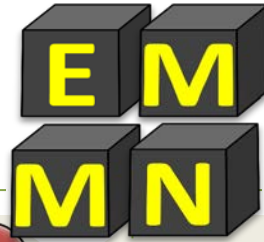
A flexible Decision Support System, based on conflict analysis techniques, aiming at identifying **the most likely outcome of a negotiation** process by taking into account **the power of negotiators** as a **determining factor** in the final resolution

Original formulation: Sheikhmohammady (2009)



First application: Negotiations over the legal status of the Caspian Sea

Basic components



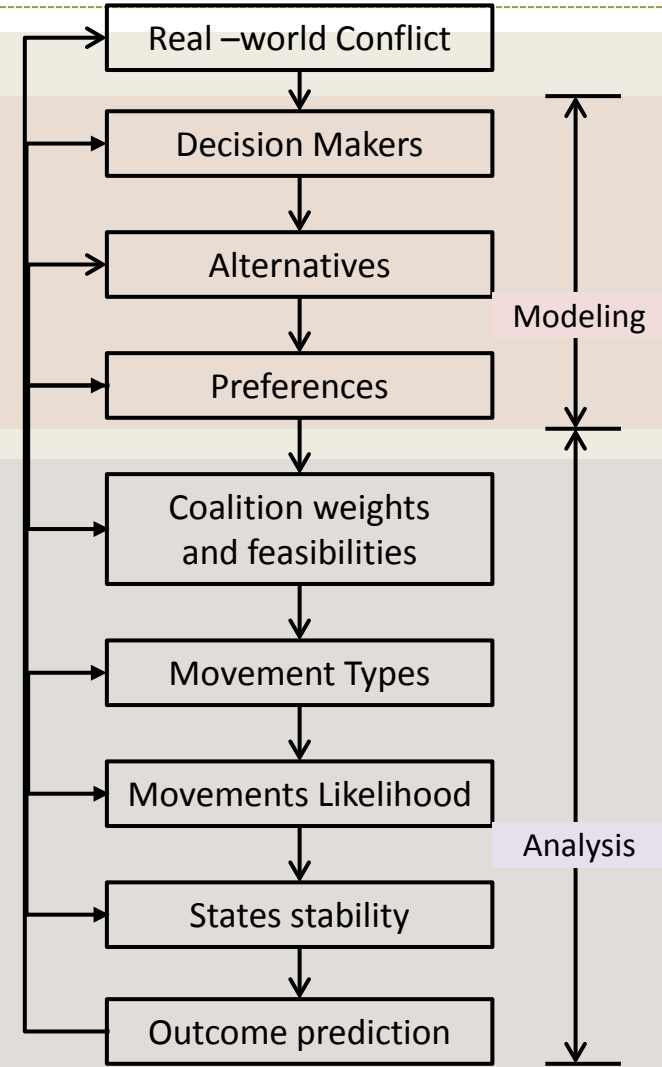
Set of Decision-Makers
 $N = \{1, 2, \dots, n\}$

Set of Alternative Agreements
 $A = \{a_1, a_2, \dots, a_q\}$

Set of states
 $S = q(2^n - 1)$

Set of possible movements
(fuzzy analysis)
 $(a_j, C) \rightarrow (a_k, C')$

Basic Structure



Movement reasons

Likelihood of movements (fuzzy criteria)

Preferential Improvement (PI)

- Move to a more preferred alternative

$$(a_j, C) \rightarrow (a_k, C) \quad , \quad a_k \succ_i a_j \quad , \quad i \in C \quad \quad PI-L1 = \begin{cases} 1 & P_i(a_j) - P_i(a_k) > 1 \quad i \in C \\ 0 & \text{otherwise} \end{cases}$$

$$\{PI-L\} = \{PI-L1\} + \{PI-L2\} \quad \quad PI-L2 = \begin{cases} 1 & \text{if } |C| > 1 \\ 0 & \text{otherwise} \end{cases}$$

Agglomeration (AG)

- Join a coalition since new state is acceptable to all DMs

$$(a_j, C) \rightarrow (a_k, C') \quad , \quad C \subset C' \quad , \quad a_j \text{ acceptable for all } i \in (C' - C)$$

$$AG-L1 = \begin{cases} 1 & \text{if } (a_j, C') \text{ is feasible} \\ 0 & \text{otherwise} \end{cases} \quad \quad \{AG-L\} = \{AG-L1\} + \{AG-L2\}$$

$$AG-L2 = \begin{cases} 1 & \text{if } P_i(a_j) = 1, \text{ for } \forall i \in C' - C \\ 0 & \text{otherwise} \end{cases}$$

Disloyalty (DL)

- Move from a coalition to other coalition more preferred

$$(a_j, C) \rightarrow (a_k, D) \quad , \quad C \neq D, C \cap D \quad , \quad a_k \succ a_j \text{ and } (a_k, D) \text{ is feasible for all } i \in D$$

$$DL-L1 = \begin{cases} 1 & \text{if } (a_j, C) \text{ is infeasible} \\ 0 & \text{otherwise} \end{cases} \quad \quad \{DL-L\} = \{DL-L1\} + \{DL-L2\}$$

$$DL-L2 = \begin{cases} 1 & \text{if } P_i(a_k) \leq Acc_i, \text{ for } \forall i \in D \\ 0 & \text{otherwise} \end{cases}$$

Strategic Disimprovement (SD)

- Move from infeasible coalition to a less preferable but feasible coalition

$$(a_j, C) \rightarrow (a_k, D) \quad , \quad C \neq D, C \cap D \quad , \quad a_k \prec a_j, (a_j, C) \text{ is feasible and } (a_k, D) \text{ is feasible}$$

$$SD-L1 = \begin{cases} 1 & \text{if } P_i(a_k) \leq Acc_i, \text{ for } \forall i \in C \cap D \\ 0 & \text{otherwise} \end{cases}$$

$$SD-L2 = \begin{cases} -1 & \exists i \in C \cap D \quad \therefore a_k \text{ is iniquely worst for } i \\ 0 & \text{otherwise} \end{cases}$$

$$SD-L3 = \begin{cases} 1 & \text{if } P_i(a_k) = 1 \text{ for } \forall i \in D - C \\ 0 & \text{otherwise} \end{cases} \quad \quad \{SD-L\} = \{SD-L1\} + \{SD-L2\} + \{SD-L3\}$$

Application of EMMN



Decision Makers



1. Patras Municipality (PM)
2. W.Achaia Municipality (WAM)
3. Erymanthos Municipality (EM)
4. Industrial area of Patras (IAP)

Options

- SC1: Only 3 Municipalities
- SC2: 3 Municipalities + IAP
- SC3: Only PM
- SC4: State
- SC5: Public limited



Preferences



PM

- SC4 > SC1 > SC3 > SC2 > SC5

WAM

- SC1 > SC2 > SC5 > SC4 > SC3

EM

- SC1 > SC2 > SC4 > SC5 > SC3

IAP

- SC2 > SC5 > SC4 > SC3 > SC1

Estimation of DMs' power weights

Methodology

Data Envelopment Analysis (DEA) (a MCDA model)

$$\max \theta = \sum_{r=1}^s u_r y_{rj}$$

$$s.t. \sum_{i=1}^m v_i x_{ij} = 1$$

$$\sum_{r=1}^s u_r y_{rj} \leq \sum_{i=1}^m v_i x_{mj}$$

i number of inputs

r number of outputs

v_i coefficient of input weight

u_r coefficient of output weight

j number of service unit

x_{ij} amount of the i^{th} input used by j^{th} service unit

y_{rj} amount of the r^{th} output used by j^{th} service unit

θ efficiency rating of the service

Application

Criteria inputs:

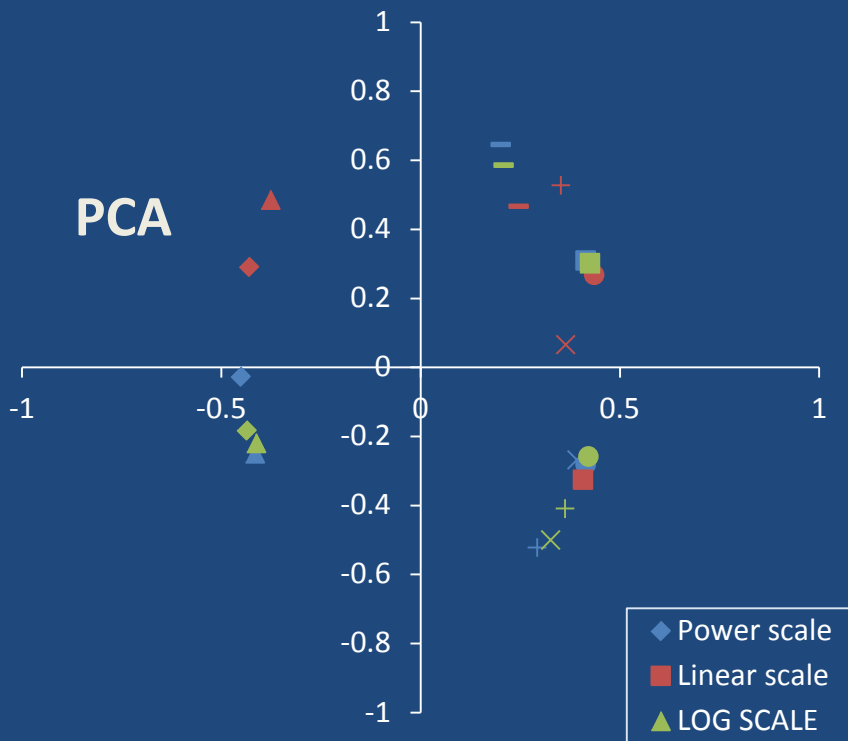
1. Population served by dam's operation
2. Territorial jurisdiction of the dam and of the watershed
3. Water release rate
4. Coverage rate of water supply needs
5. Administrative capacity and other administrative characteristics

Criteria scaling:

1. Linear (analogue)
2. Logarithmic (strengthens weak DMs)
3. Power (weakens weak DMs)

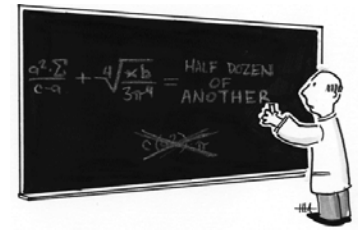
Power Index Results & PCA

DM	Linear Weight	LW Rating	Logarithmic weight	LGW Rating	Power weight	PW Rating
PM	68,53	2	64,57	2	73,45	2
WAM	49,12	3	42,38	3	67,16	3
EM	44,38	4	40,56	4	66,58	4
IAP	70,08	1	70,51	1	73,99	1



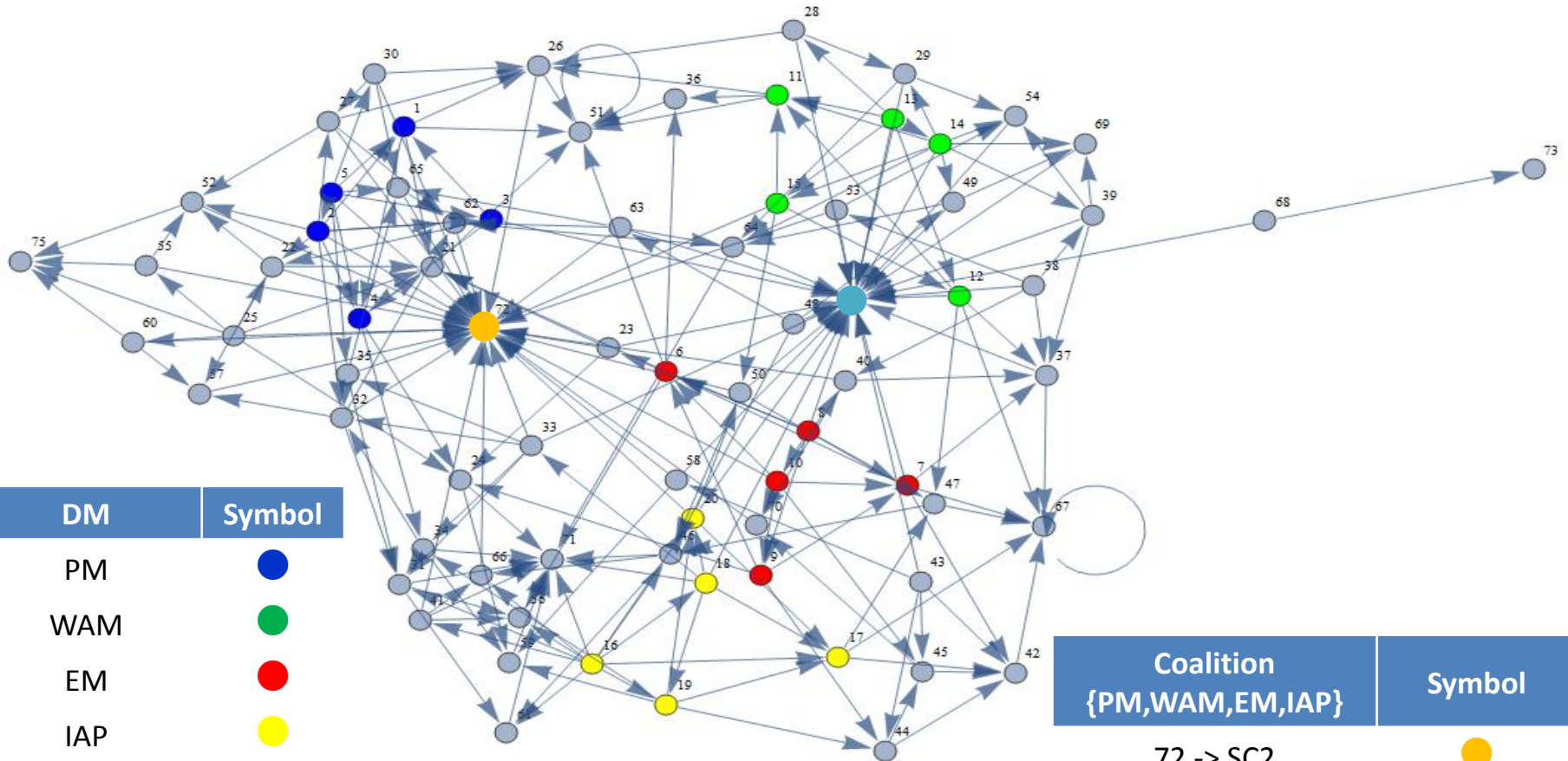
Symbol	Criteria Detail
■	Population served by dam's operation
×	Water release rate
—	Coverage rate of water supply needs
◆	Territorial jurisdiction of the dam
▲	Territorial jurisdiction of the watershed
●	Administrative characteristics
+	Administrative capacity

Evolution of the conflict



Power Threshold = $T > 218$

Only unanimous agreements are feasible



DM

Symbol

PM



WAM



EM



IAP



DMs



Coalitions

Coalition
{PM,WAM,EM,IAP}

Symbol

72 -> SC2



74 -> SC4



Conclusion Notes

GMCR II & EMMN

► Both examine possible states during negotiations

► Both indicate strategic interactions and arrangements



NOTES

► Challenge: satisfying all involved parties regarding the management of a water body

► More what-if analyses are needed to minimize uncertainty

Finding a joint agreement remains a thorny issue



ACKNOWLEDGMENTS

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